

Lab: 09/16/09

Tonight we will illustrate how to do post-hoc tests in SPSS using the same data set as last week:

1. Planned comparisons: Bonferroni Procedure and Dunnett's test,
2. Pairwise comparison: Tukey, and
3. Post-Hoc correction: Scheffé's procedure

1-1. Bonferroni adjustment: We have 4 planned comparisons as below;

(1) $H_0 : \mu_1 = \mu_2$

(2) $H_0 : \mu_1 = \mu_4$

(3) $H_0 : \mu_2 = \mu_4$

(4) $H_0 : \mu_3 = \mu_4$

	Factor 1	Factor 2	Factor 3	Factor 4	p-value	Adjusted p-value	Significant?
Contrast (1)	1	-1	0	0	0.219	0.876	No
Contrast (2)	1	0	0	-1	0.002	0.008	Yes
Contrast (3)	0	1	0	-1	0.017	0.068	No
Contrast (4)	0	0	1	-1	0.633	2.532	No

- a. What should be your family wise alpha in terms of the Bonferroni procedure for the comparisons you plan to make? $0.05/c = 0.05/4 = 0.0125$

What would be your family wise alpha if you had five contrasts? $0.05/5=0.01$

- b. Run SPSS for the four contrasts above and record the p-value for each contrast. Adjust the p-value for each contrast and decide which contrast(s) is(are) significant. **Contrast 2 is significant.**

1-2. Dunnett test: A researcher wants to compare the 28-hour group with the other groups.

- a. What should be the reference group to do so? **The last group, the 28-hour group.**
- b. Which group(s) is(are) significantly different from 28-hour group? **Groups 1 and 2.**

2. Tukey test:

- a. Conduct the Tukey test.
- b. Which groups are different from each other? **Group 1 and 3, and groups 1 and 4.**

3. Scheffé procedure:

- a. Conduct the Scheffé test.
- b. Which groups are different from each other? **Group 1 and 3, and groups 1 and 4.**

4. In conclusion or summary:

- a. Let's compare significant levels from all procedures for contrast 2. Which procedure yields the lowest/highest p-value? Does the type of test used affect your conclusion?

	p-value
Bonferonni adjustment	0.008
Dunnett	0.004
Tukey	0.007
Scheffe	0.013

The Dunnett procedure produced the lowest p-value. The Scheffe procedure produced the highest value. The type of test does not affect our conclusion; they all show significant differences among groups 1 and 4, using $\alpha = 0.05$.

- b. How about the contrast of group 2 to 4? Which procedure yields the lowest/highest p-value? Does the type of test used affect your conclusion?

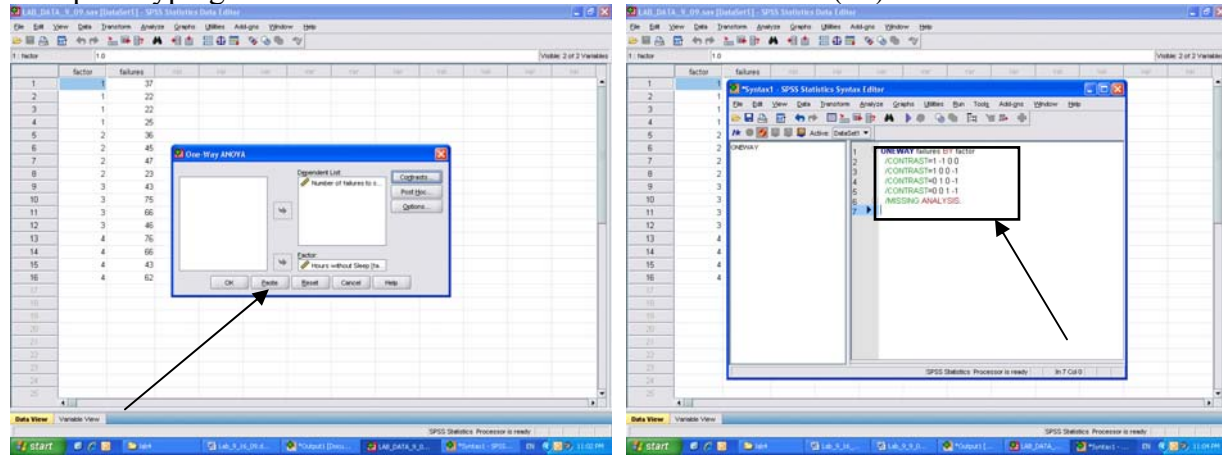
	p-value
Bonferonni adjustment	0.068
Dunnett	0.043
Tukey	0.071
Scheffe	0.105

The Dunnett procedure produced the lowest p-value. The Scheffe procedure produced the highest value. The type of test does affect our conclusion; only the Dunnett procedure shows a significant differences among groups 2 and 4, using $\alpha = 0.05$.

HELP

1-1.

After coding the first contrast, click on paste. You will see a syntax mode as shown in figure 2 Complete typing contrasts as a box below and then click on run (all).



ONEWAY failures BY factor

/CONTRAST=1 -1 0 0

/CONTRAST=1 0 0 -1

/CONTRAST=0 1 0 -1

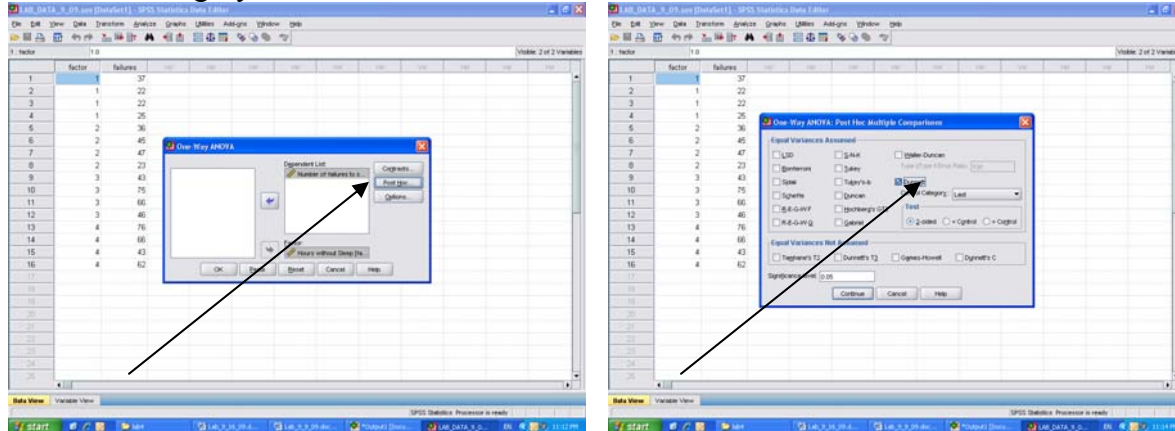
/CONTRAST=0 0 1 -1

/MISSING ANALYSIS.

Contrast Tests

		Contrast	Value of Contrast	Std. Error	t	df	Sig. (2-tailed)
Number of failures to spot objects on screen	Assume equal variances	1	-11.25	8.673	-1.297	12	.219
		2	-35.25	8.673	-4.064	12	.002
		3	-24.00	8.673	-2.767	12	.017
		4	-4.25	8.673	-.490	12	.633
	Does not assume equal variances	1	-11.25	6.530	-1.723	5.165	.144
		2	-35.25	7.777	-4.533	4.496	.008
		3	-24.00	8.811	-2.724	5.699	.036
		4	-4.25	10.383	-.409	5.922	.697

1-2. Click on Post Hoc rather than contrast, and then select Dunnett. Make sure you choose last as control category.



Multiple Comparisons

Number of failures to spot objects on screen
Dunnett t (2-sided)^a

(I) Hours without Sleep	(J) Hours without Sleep	Mean Difference (I-J)	Std. Error	Sig.	95% Confidence Interval	
					Lower Bound	Upper Bound
4 hrs	28 hrs	-35.250*	8.673	.004	-58.52	-11.98
12 hrs	28 hrs	-24.000*	8.673	.043	-47.27	-.73
20 hrs	28 hrs	-4.250	8.673	.927	-27.52	19.02

a. Dunnett t-tests treat one group as a control, and compare all other groups against it.

*. The mean difference is significant at the 0.05 level.

2 and 3. Do the same thing but select Tukey/Sheffe instead.

Tukey HSD

(I) Hours without Sleep	(J) Hours without Sleep	Mean Difference (I-J)	Std. Error	Sig.	95% Confidence Interval	
					Lower Bound	Upper Bound
4 hrs	12 hrs	-11.250 [*]	8.673	.582	-37.00	14.50
	20 hrs	-31.000 [*]	8.673	.017	-56.75	-5.25
	28 hrs	-35.250 [*]	8.673	.007	-61.00	-9.50
12 hrs	4 hrs	11.250	8.673	.582	-14.50	37.00
	20 hrs	-19.750	8.673	.158	-45.50	6.00
	28 hrs	-24.000	8.673	.071	-49.75	1.75
20 hrs	4 hrs	31.000 [*]	8.673	.017	5.25	56.75
	12 hrs	19.750	8.673	.158	-6.00	45.50
	28 hrs	-4.250	8.673	.960	-30.00	21.50
28 hrs	4 hrs	35.250 [*]	8.673	.007	9.50	61.00
	12 hrs	24.000	8.673	.071	-1.75	49.75
	20 hrs	4.250	8.673	.960	-21.50	30.00

*. The mean difference is significant at the 0.05 level.

Scheffe

(I) Hours without Sleep	(J) Hours without Sleep	Mean Difference (I-J)	Std. Error	Sig.	95% Confidence Interval	
					Lower Bound	Upper Bound
4 hrs	12 hrs	-11.250 [*]	8.673	.651	-39.32	16.82
	20 hrs	-31.000 [*]	8.673	.029	-59.07	-2.93
	28 hrs	-35.250 [*]	8.673	.013	-63.32	-7.18
12 hrs	4 hrs	11.250	8.673	.651	-16.82	39.32
	20 hrs	-19.750	8.673	.214	-47.82	8.32
	28 hrs	-24.000	8.673	.105	-52.07	4.07
20 hrs	4 hrs	31.000 [*]	8.673	.029	2.93	59.07
	12 hrs	19.750	8.673	.214	-8.32	47.82
	28 hrs	-4.250	8.673	.970	-32.32	23.82
28 hrs	4 hrs	35.250 [*]	8.673	.013	7.18	63.32
	12 hrs	24.000	8.673	.105	-4.07	52.07
	20 hrs	4.250	8.673	.970	-23.82	32.32

*. The mean difference is significant at the 0.05 level.

Tukey HSD^a

Hours without Sleep	N	Subset for alpha = 0.05	
		1	2
4 hrs	4	26.50	
12 hrs	4	37.75	37.75
20 hrs	4		57.50
28 hrs	4		61.75
Sig.		.582	.071

Scheffe^a

Hours without Sleep	N	Subset for alpha = 0.05	
		1	2
4 hrs	4	26.50	
12 hrs	4	37.75	37.75
20 hrs	4		57.50
28 hrs	4		61.75
Sig.		.651	.105